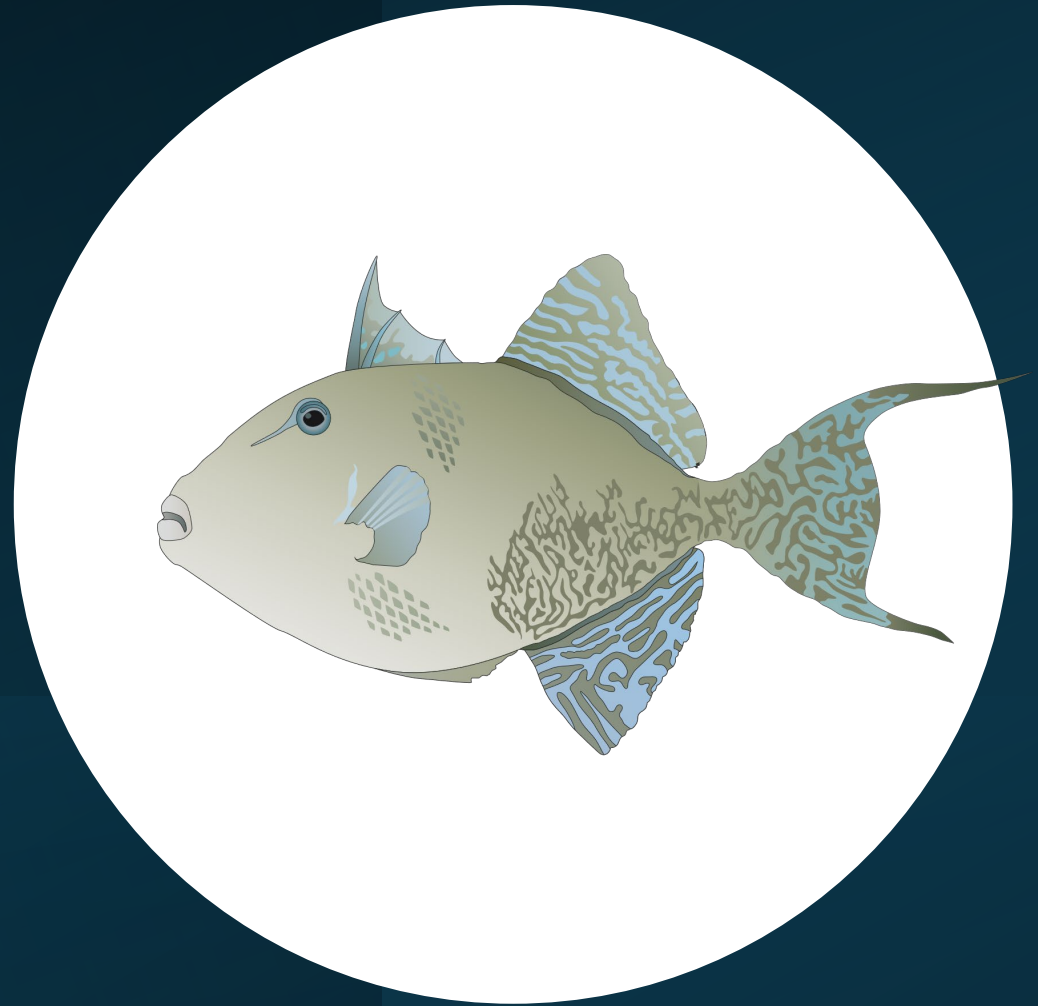


Depth and water temperature drive elevated post-release mortality of gray triggerfish



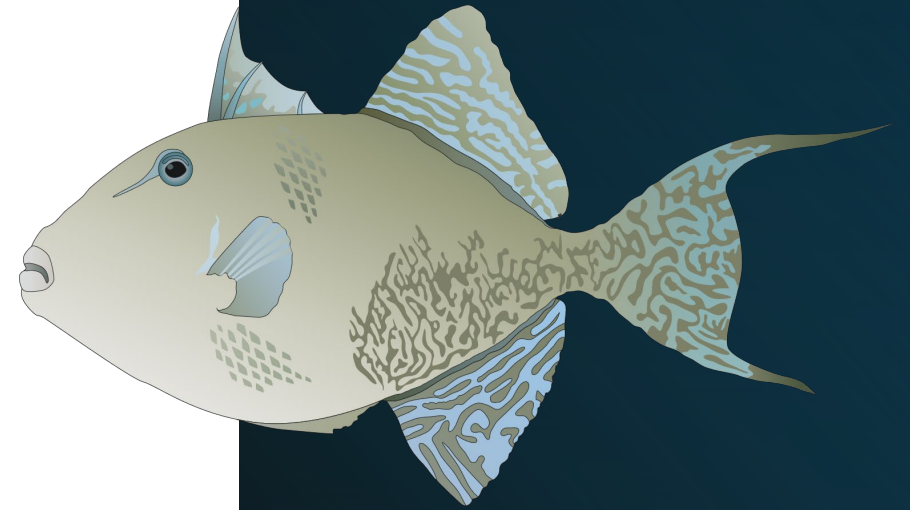
A. Challen Hyman, Chloe Ramsay, Sean Wilms, and Thomas K. Frazer



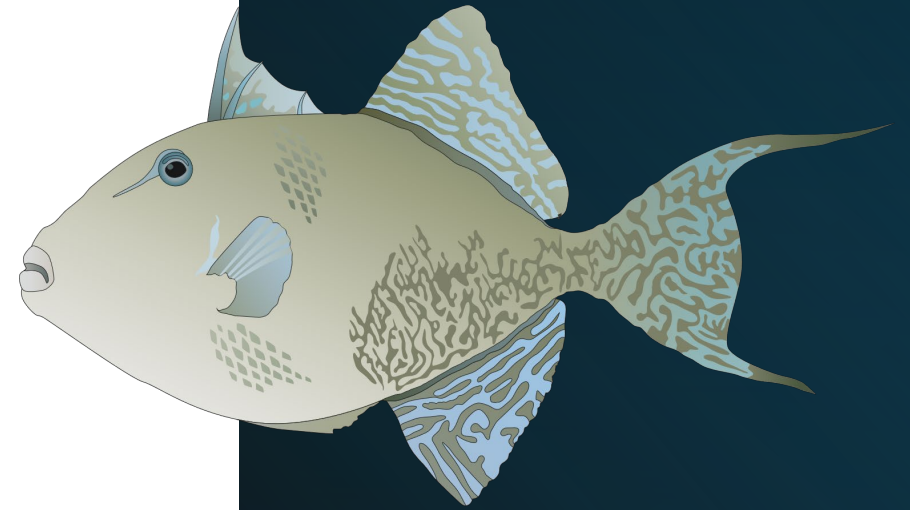
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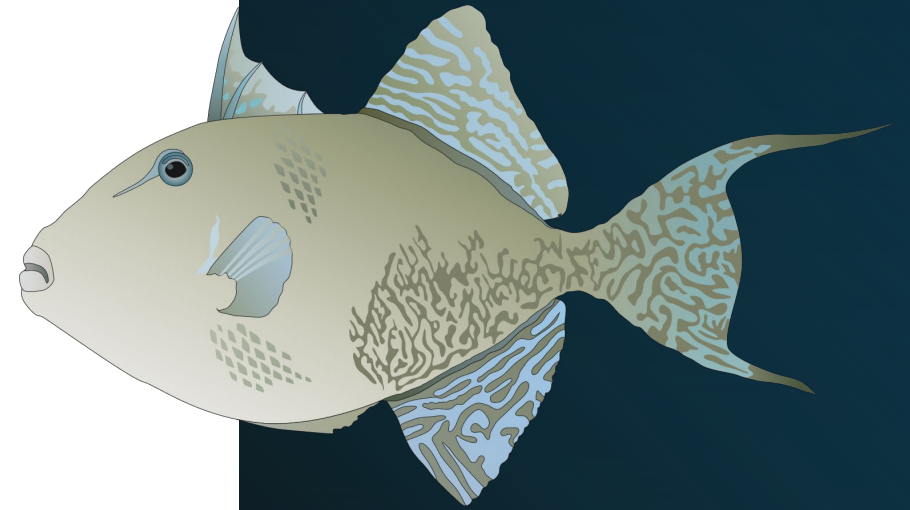
- Long-term conventional tagging datasets can be used to assess effects of environmental variables on recapture rates



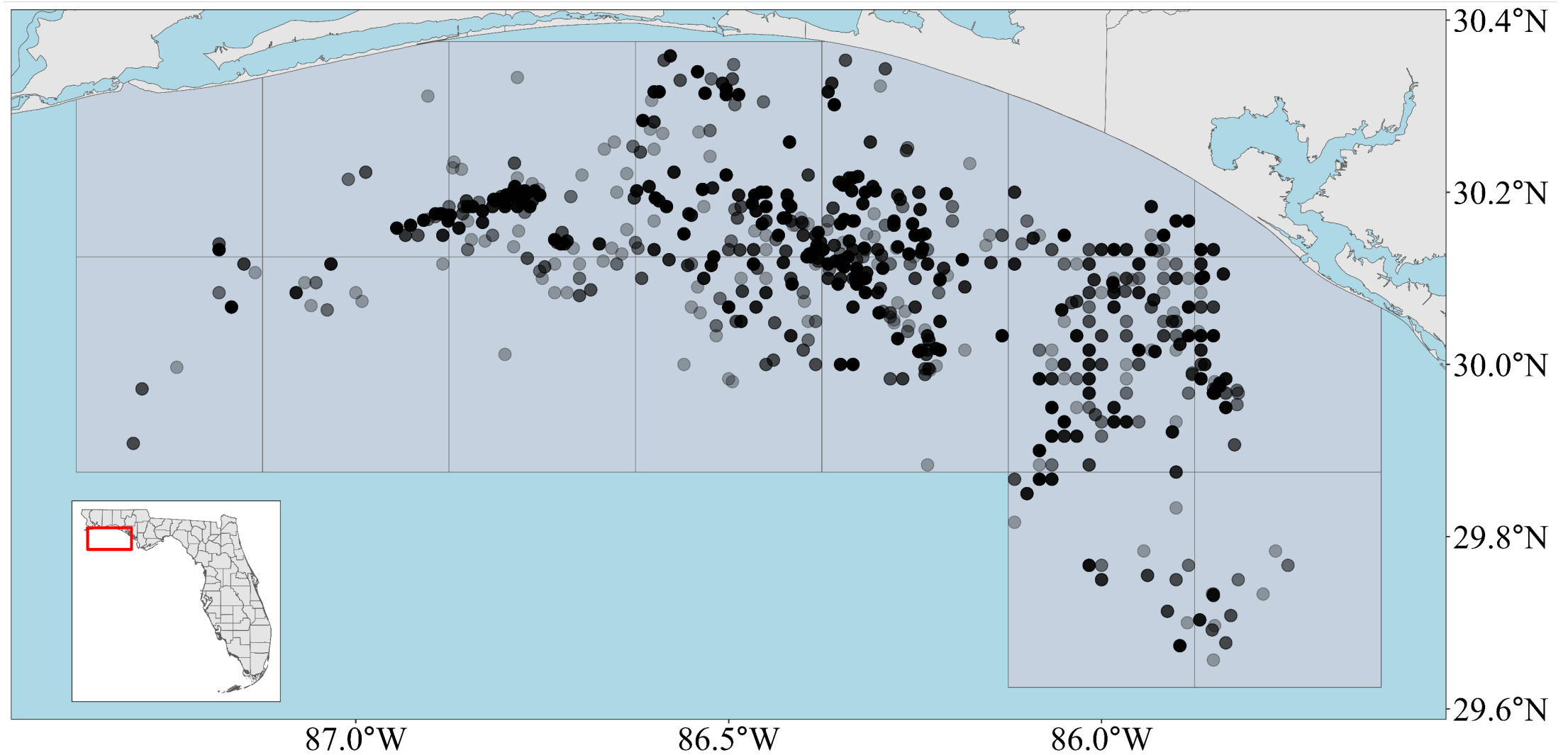
- Long-term conventional tagging datasets can be used to assess effects of environmental variables on recapture rates
- Models leveraging these datasets can estimate post-release mortality while accounting for variable effort



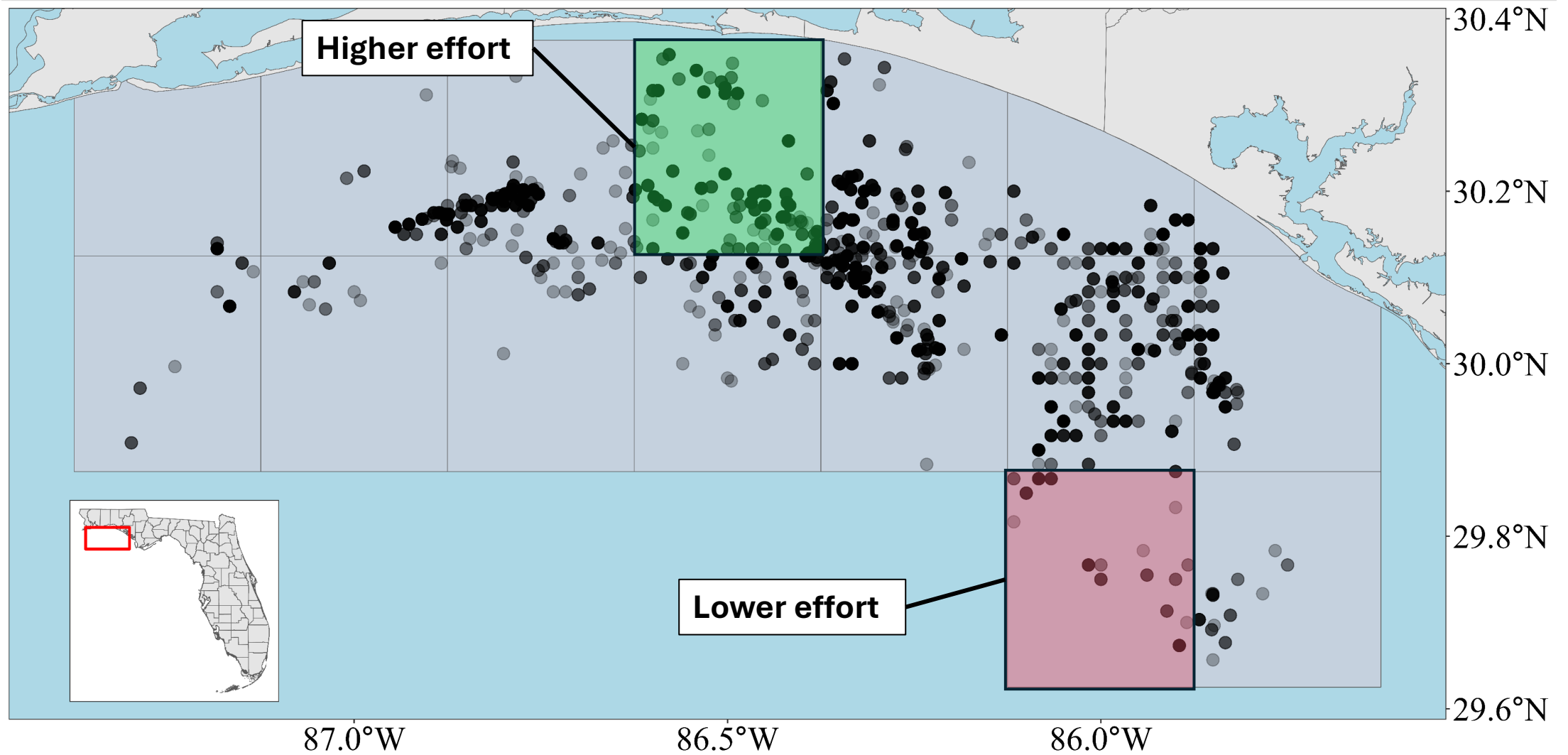
- Long-term conventional tagging datasets can be used to assess effects of environmental variables on recapture rates
- Models leveraging these datasets can estimate post-release mortality while accounting for variable effort
- Built a discrete-time model to infer post-release mortality in gray triggerfish

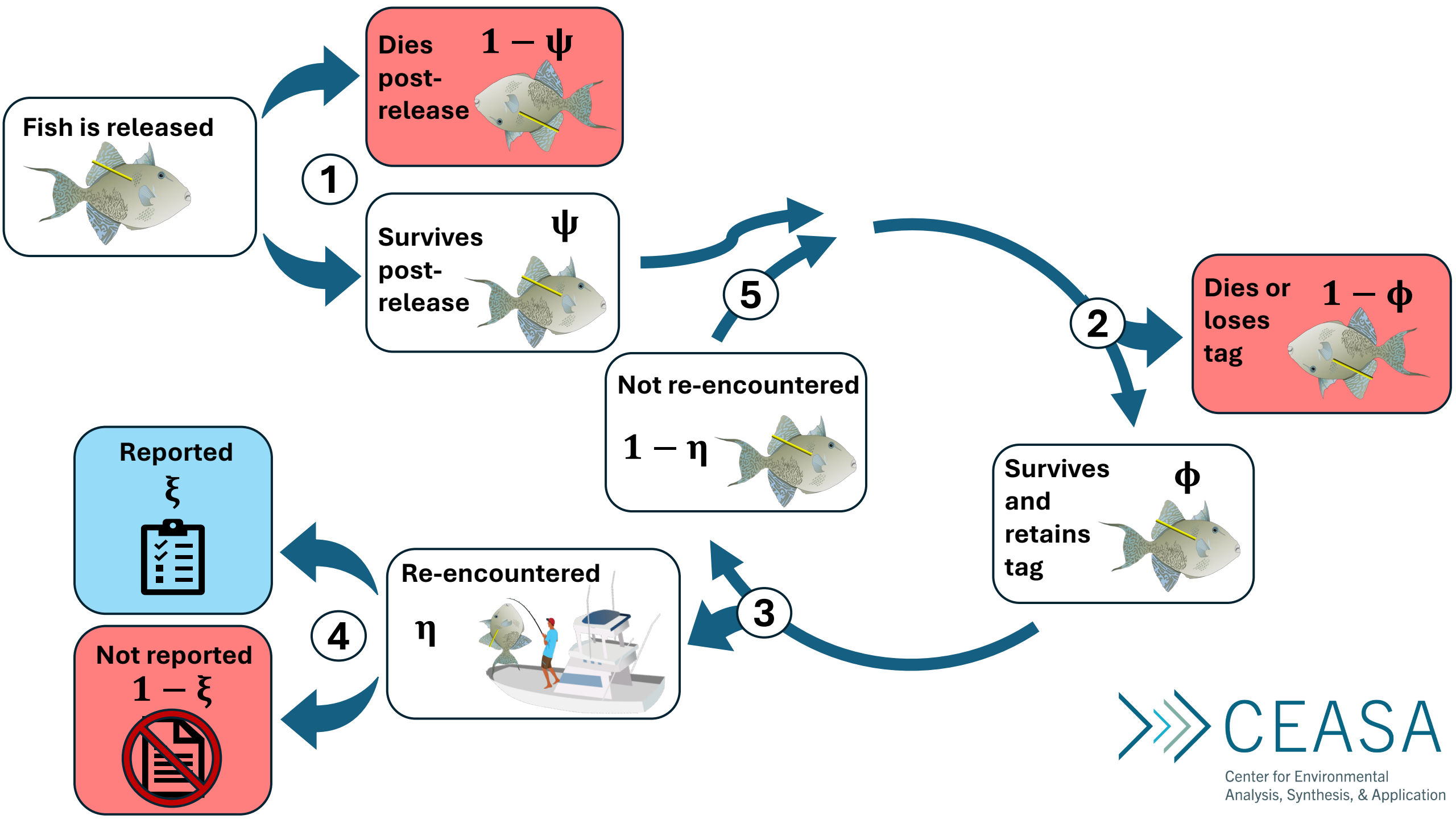


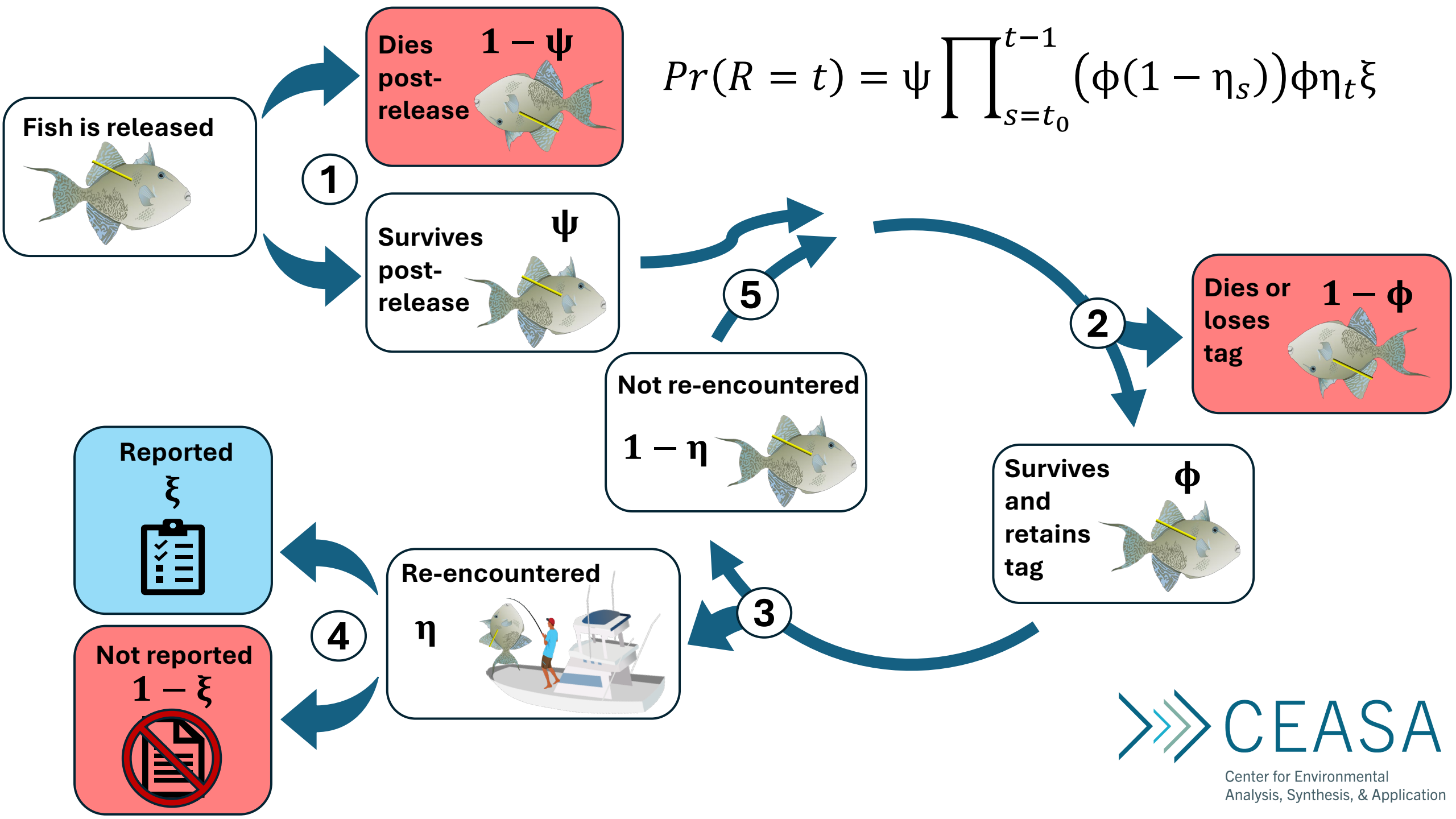
Tagged 3,744 fish between 2022 and 2024

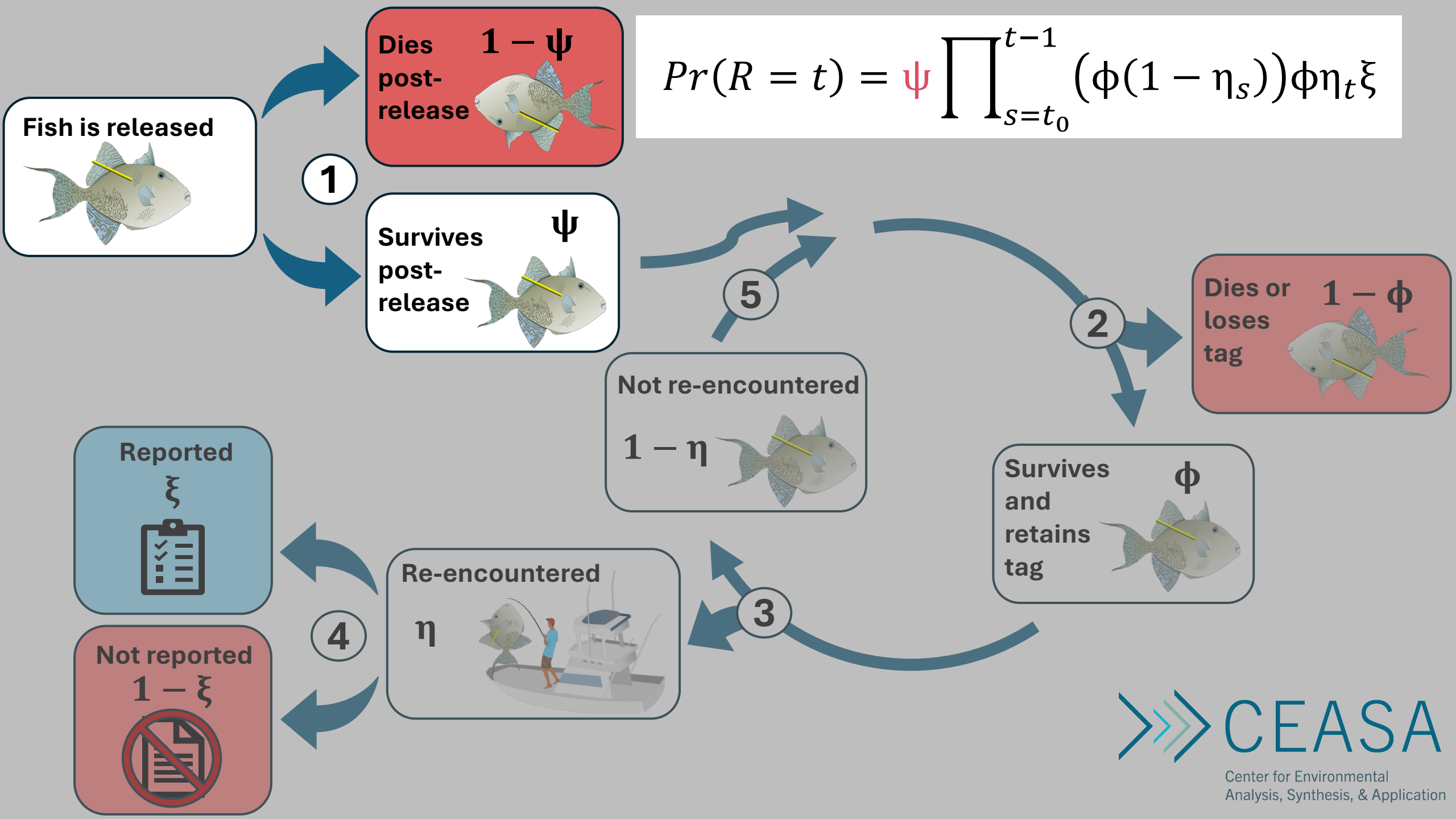


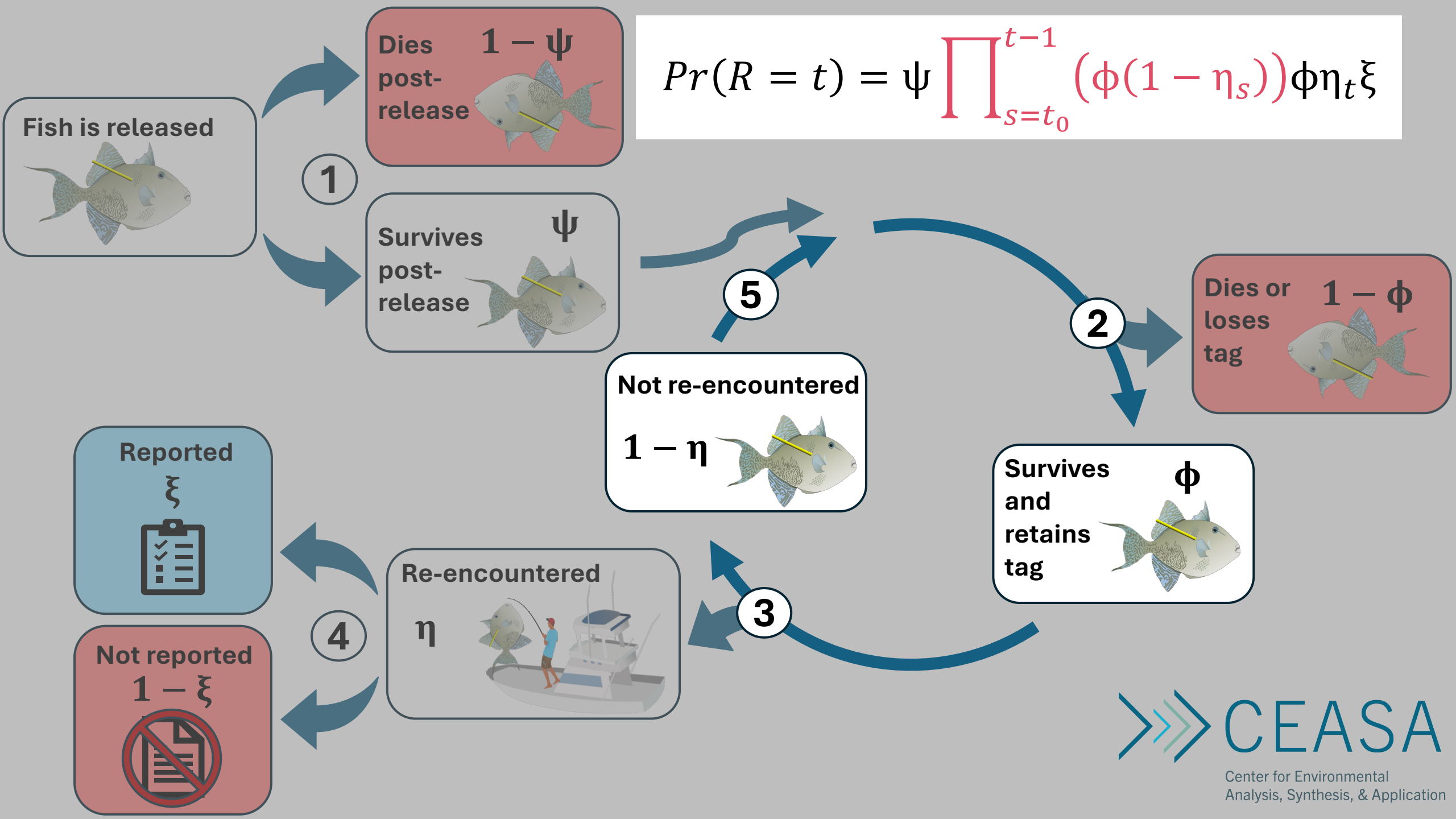
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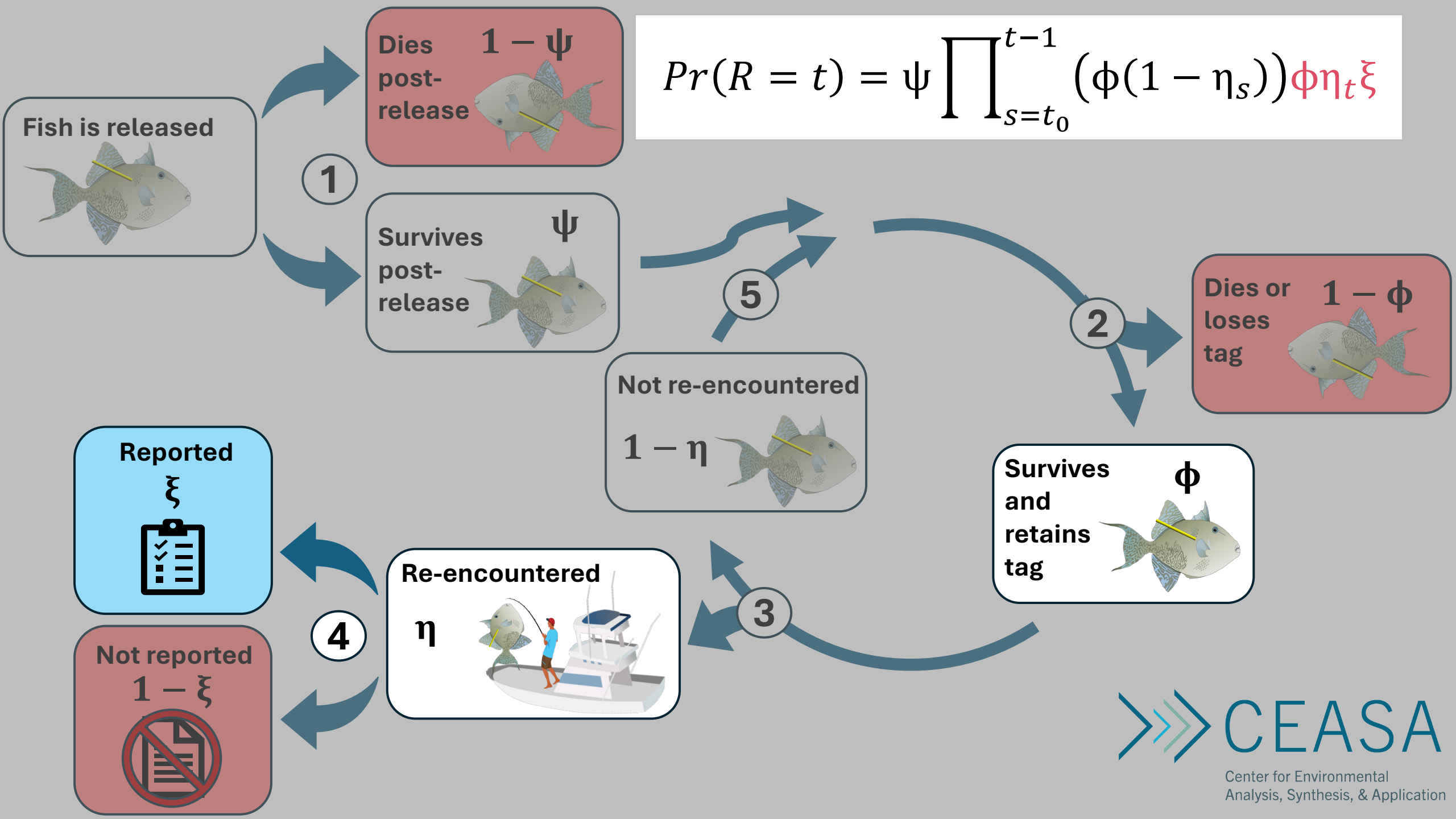




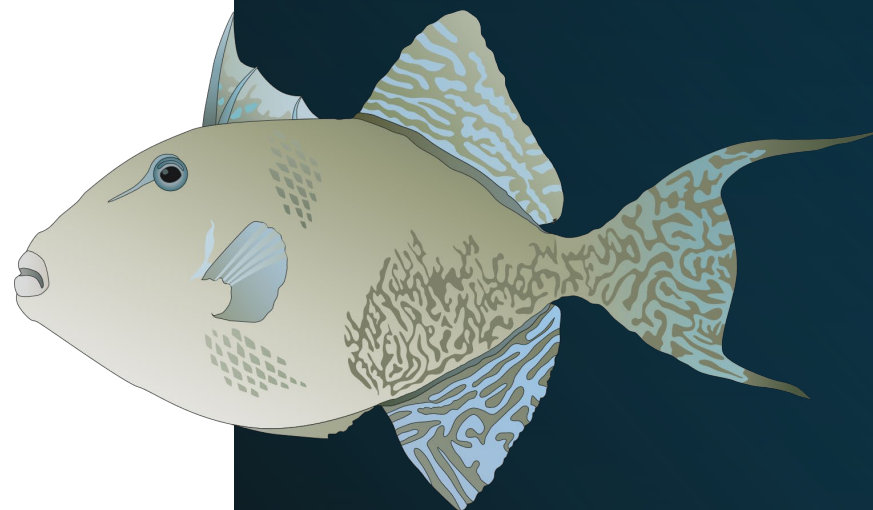






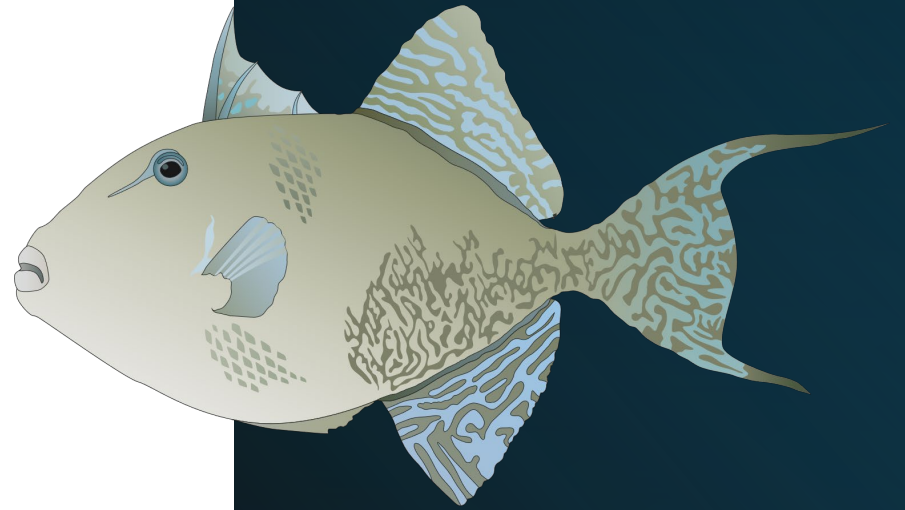


$$Pr(R = t) = \psi \prod_{s=t_0}^{t-1} (\phi(1 - \eta_s)) \phi \eta_t \xi$$



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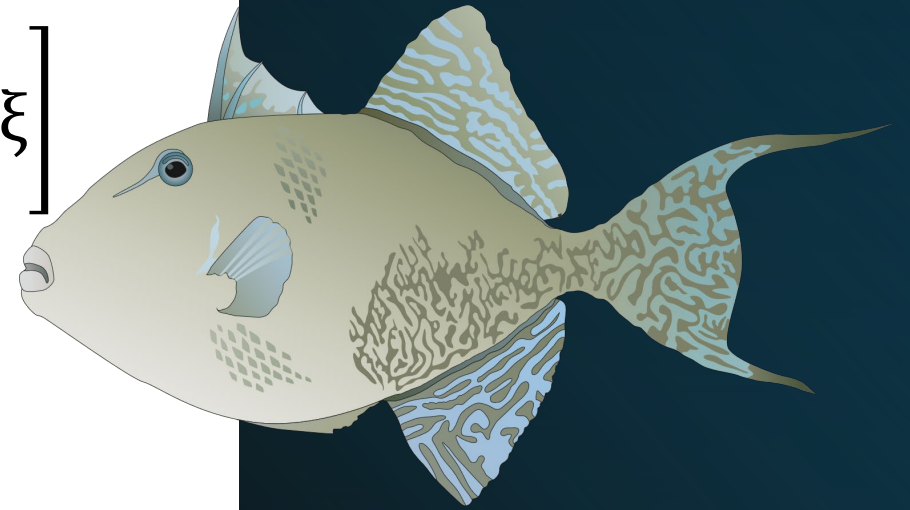
$$Pr(R = 0) = 1 - \sum_{t=t_0}^T Pr(R = t)$$



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$$Pr(R = 0) = 1 - \sum_{t=t_0}^T Pr(R = t)$$

$$= 1 - \sum_{t=t_0}^T \left[\psi \prod_{s=t_0}^{t-1} (\phi(1 - \eta_s)) \phi \eta_t \xi \right]$$

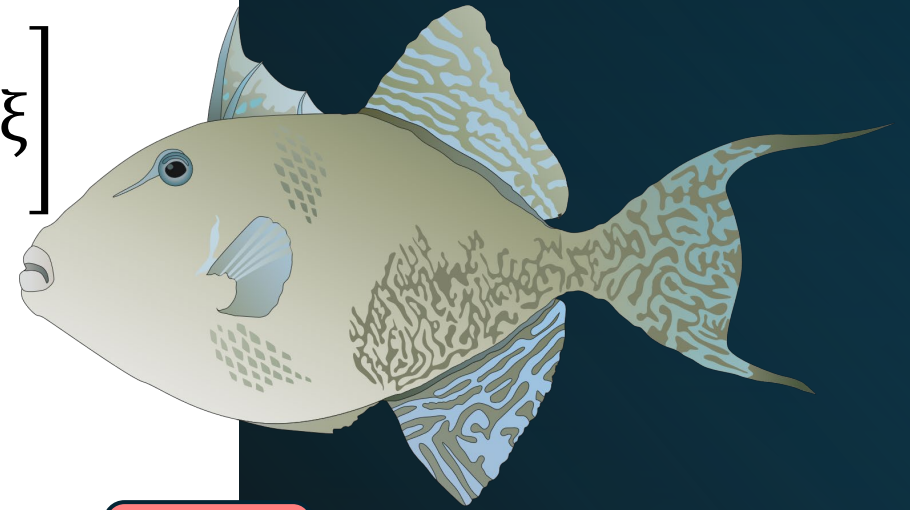
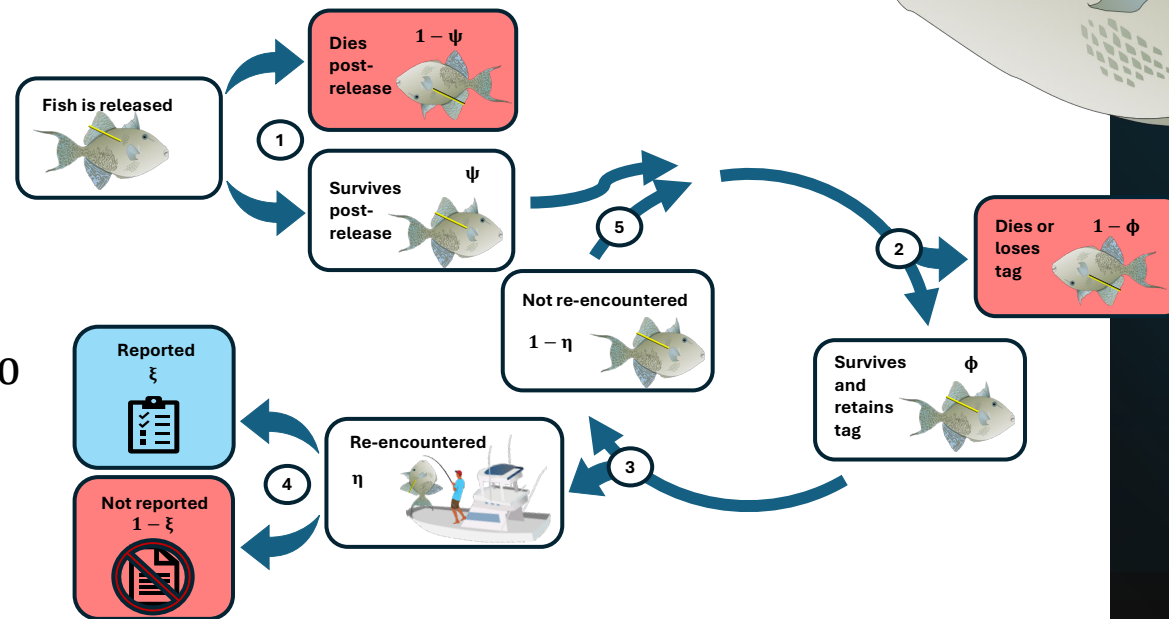


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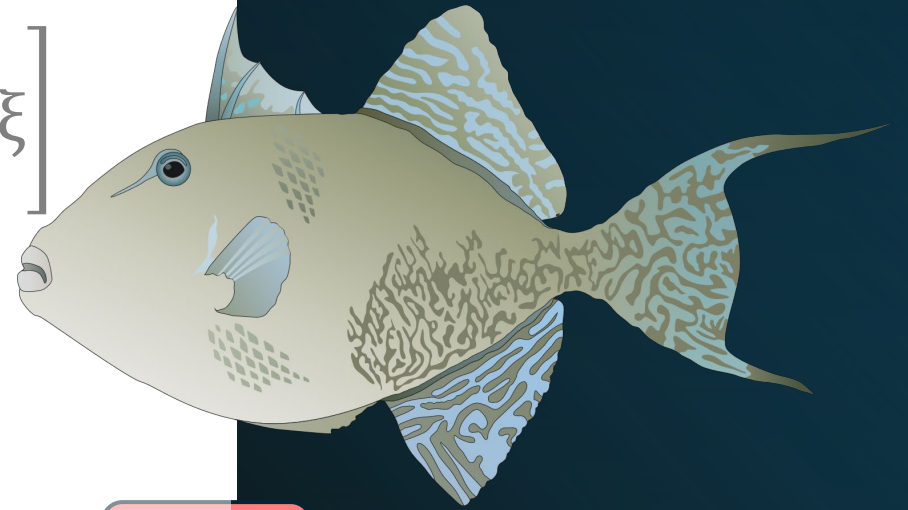
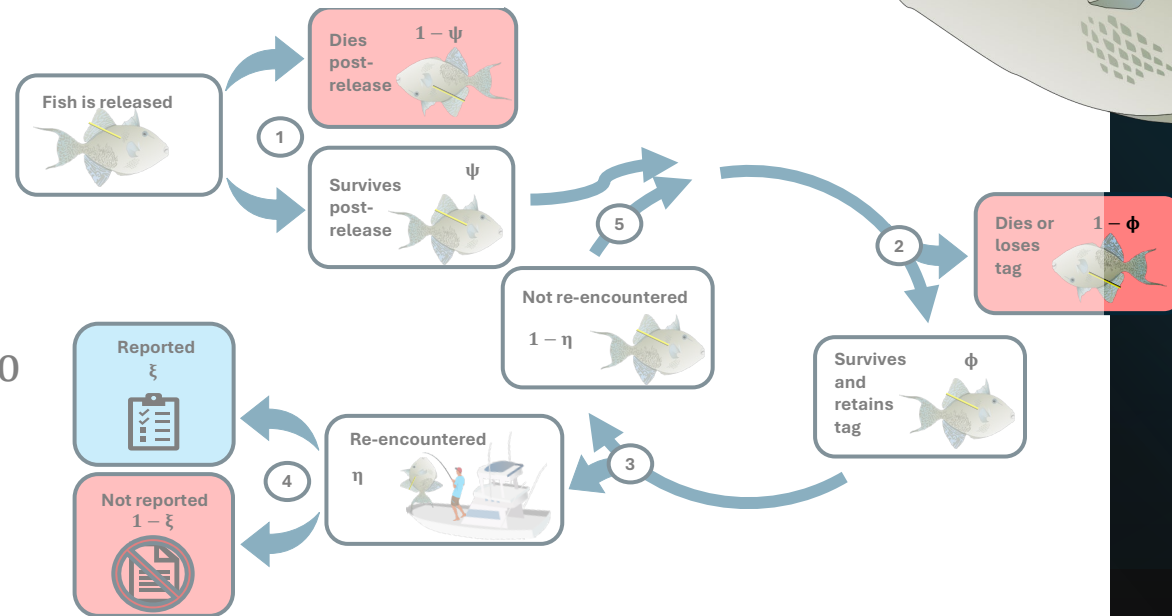


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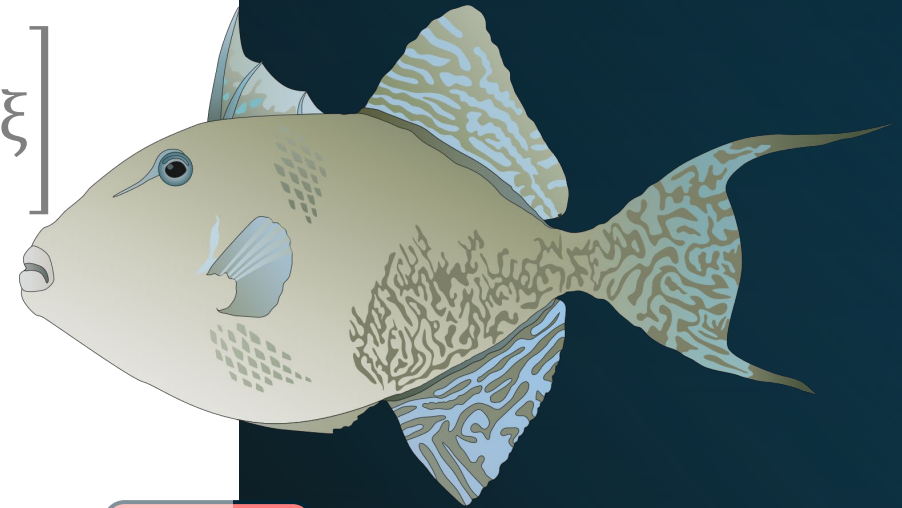
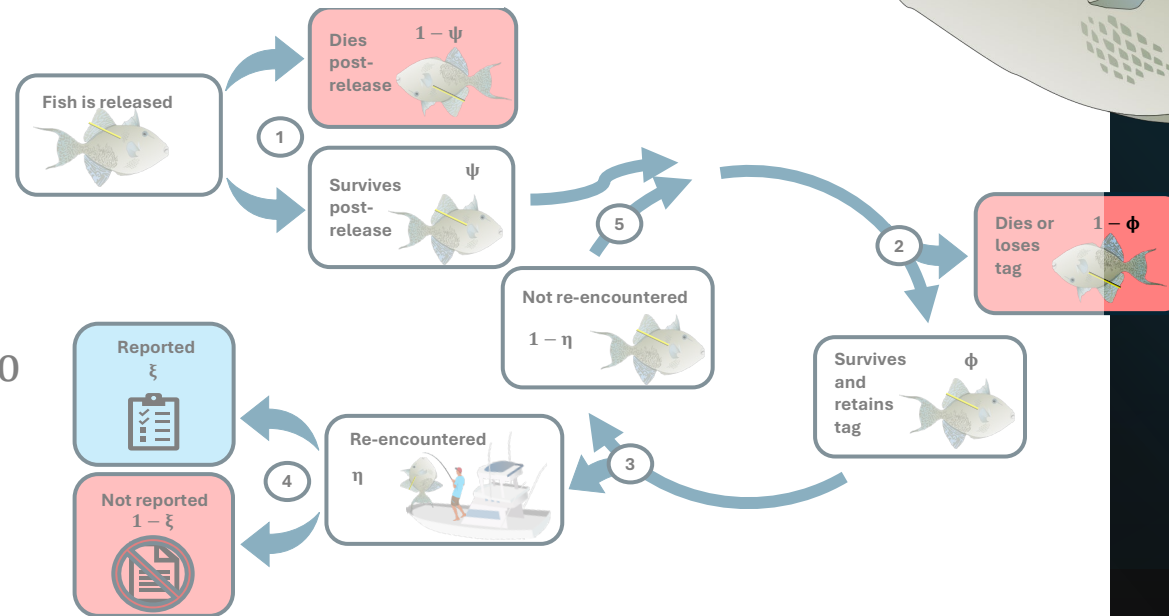


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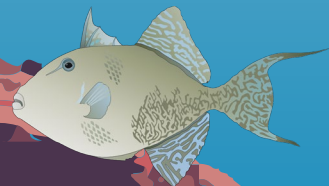
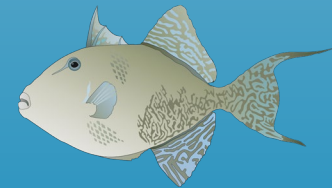
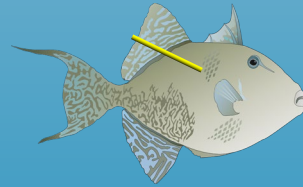
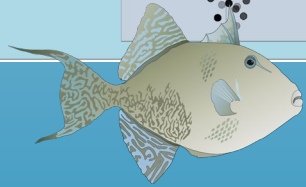
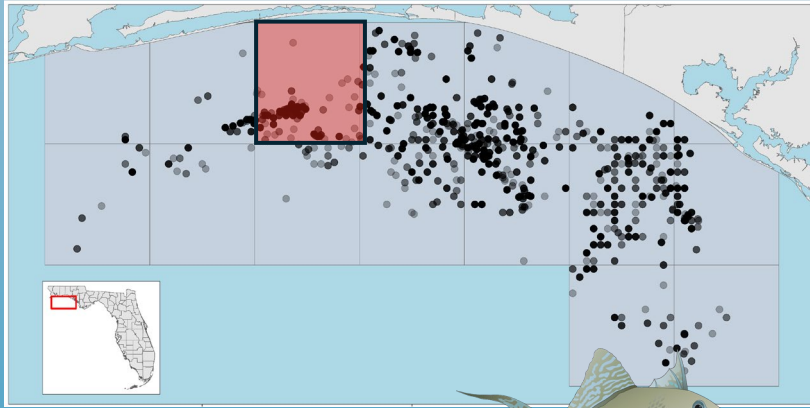
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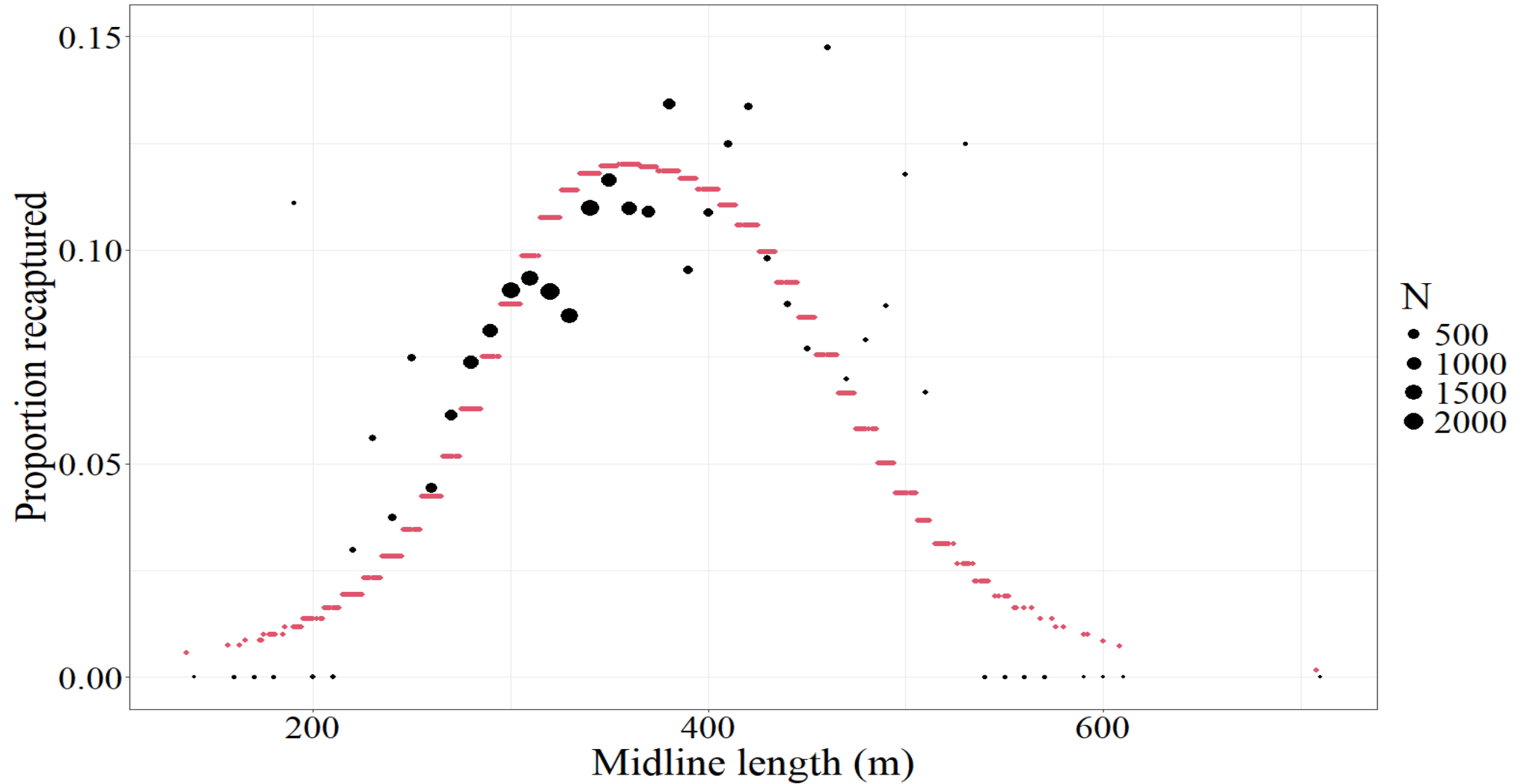
$$= 1 - \sum_{t=t_0}^T$$



$$\eta_{t,l} = 1 - \exp(-\exp(\alpha_0 + \alpha_1 \text{Rec}_{t,l[i]} + \alpha_2 \text{FHO}_{t,l[i]}) \sigma_i)$$



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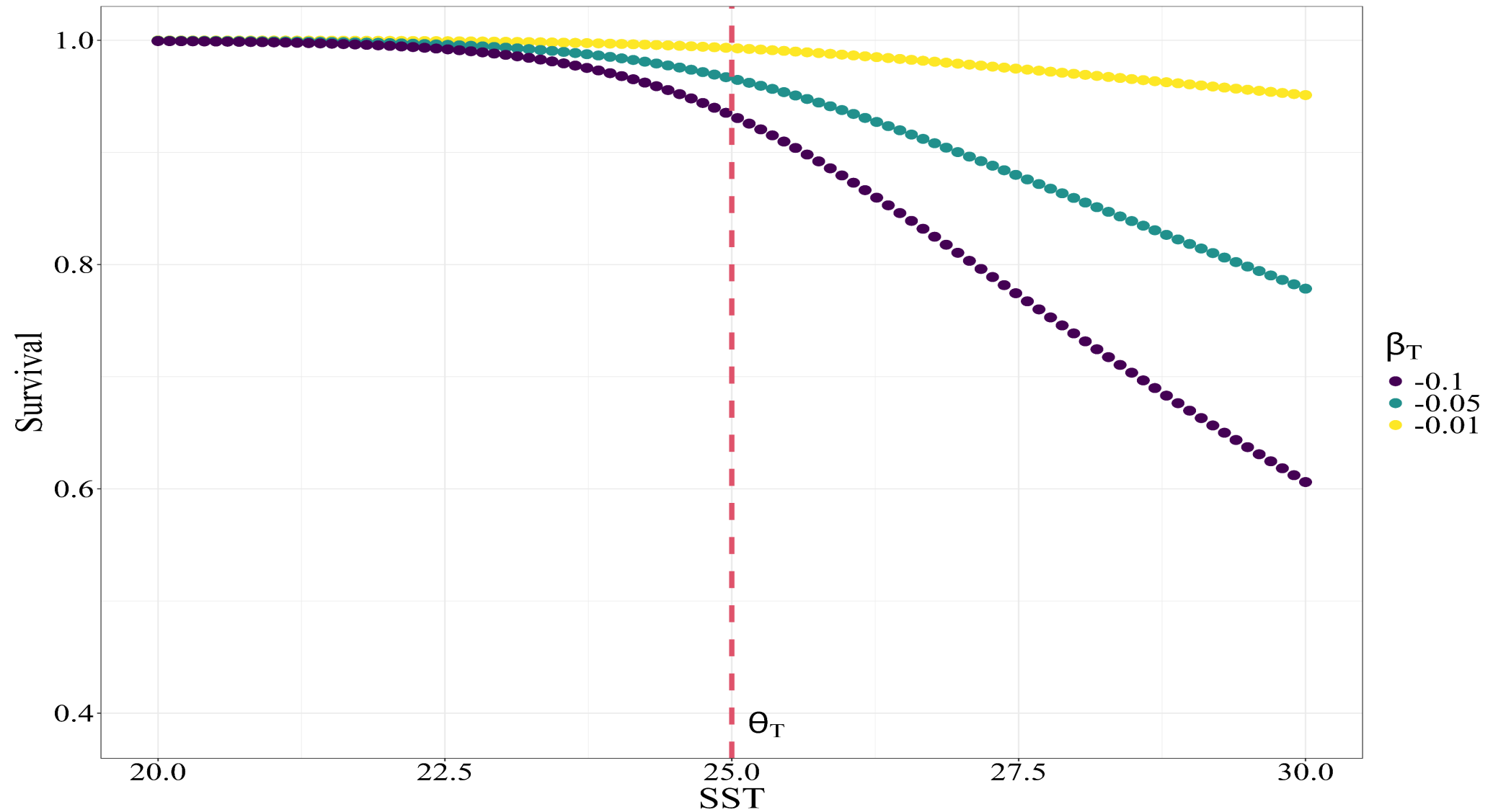


$$Pr(R = t) = \Psi \prod_{s=t_0}^{t-1} (\phi(1 - \eta_s)) \phi \eta_t \xi$$

$$\psi_i \propto \exp(\beta_D f(\text{Depth}_i) + \beta_T f(\text{SST}_i))$$

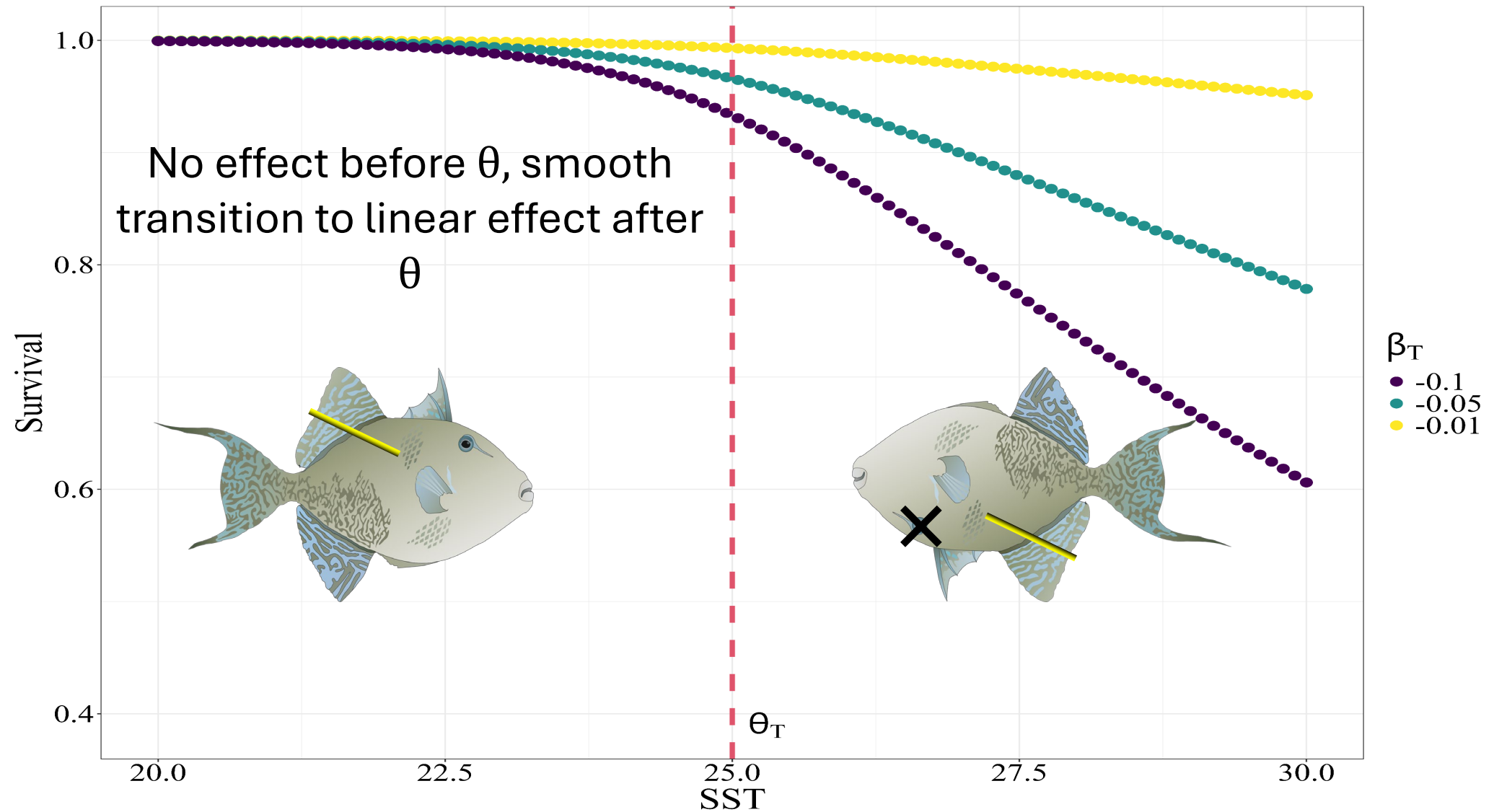
$$Pr(R = t) = \Psi \prod_{s=t_0}^{t-1} (\phi(1 - \eta_s)) \phi \eta_t \xi \quad \psi_i \propto \exp(\beta_D f(\text{Depth}_i) + \beta_T f(\text{SST}_i))$$

$$f(x) = \ln(1 + \exp(x - \theta_x)) - \ln(1 + \exp(-\theta_x))$$

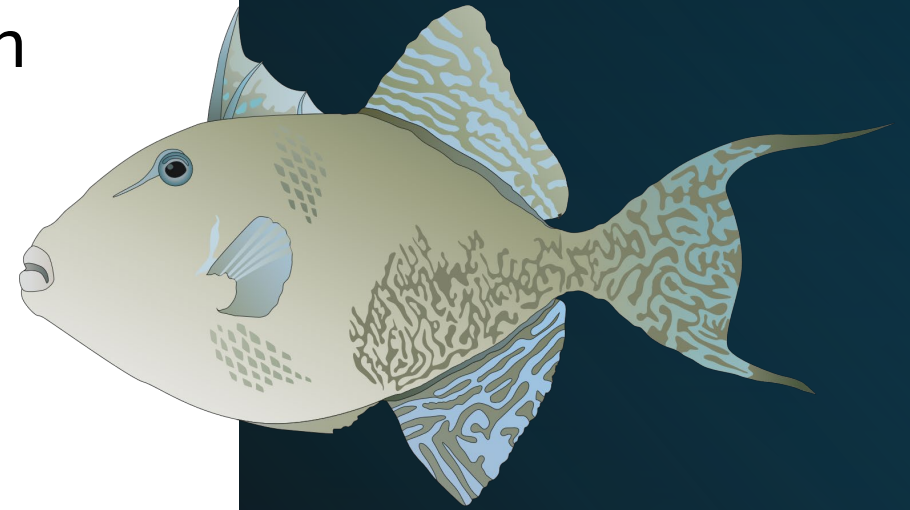


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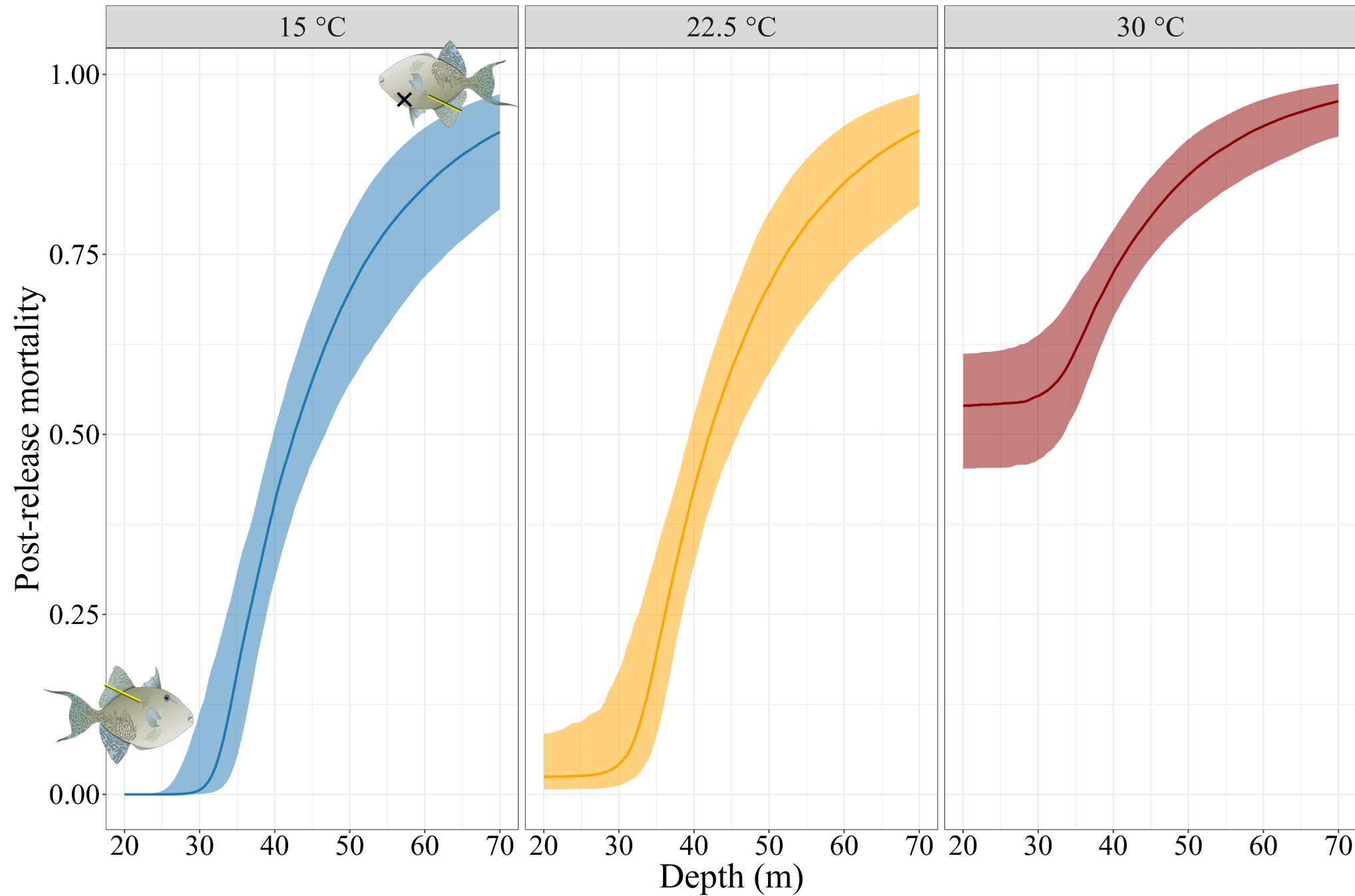
- Depth of capture varied between 20 and 70 m (median 33 m)
- SST varied between 15 and 31 C (median 22 C)
- Time at large varied between 1 and 832 days (median 72)
- Models run using the Stan programming language for Bayesian inference



SST (°C) 15 22.5 30

Depths beyond 30 m increased mortality

SST beyond 22°C increased mortality



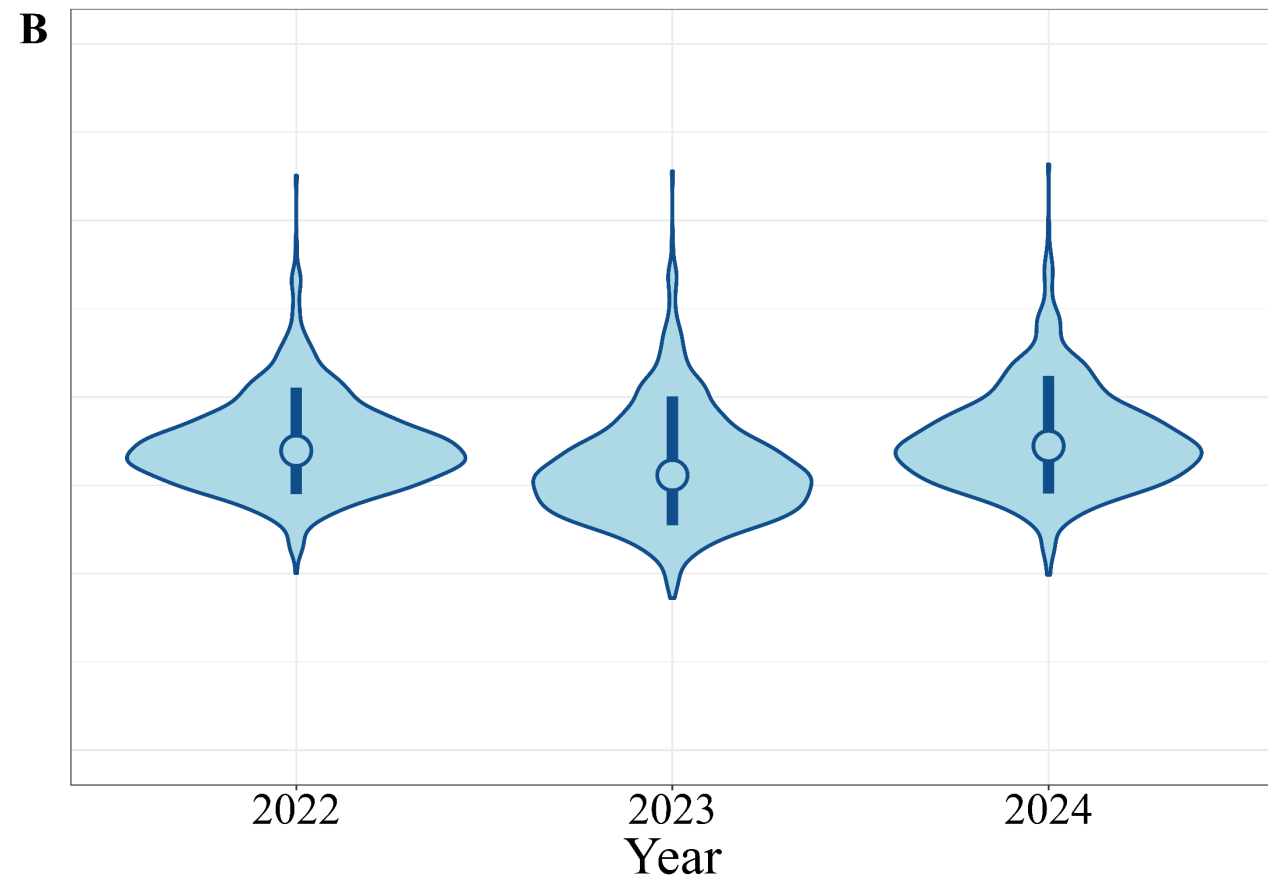
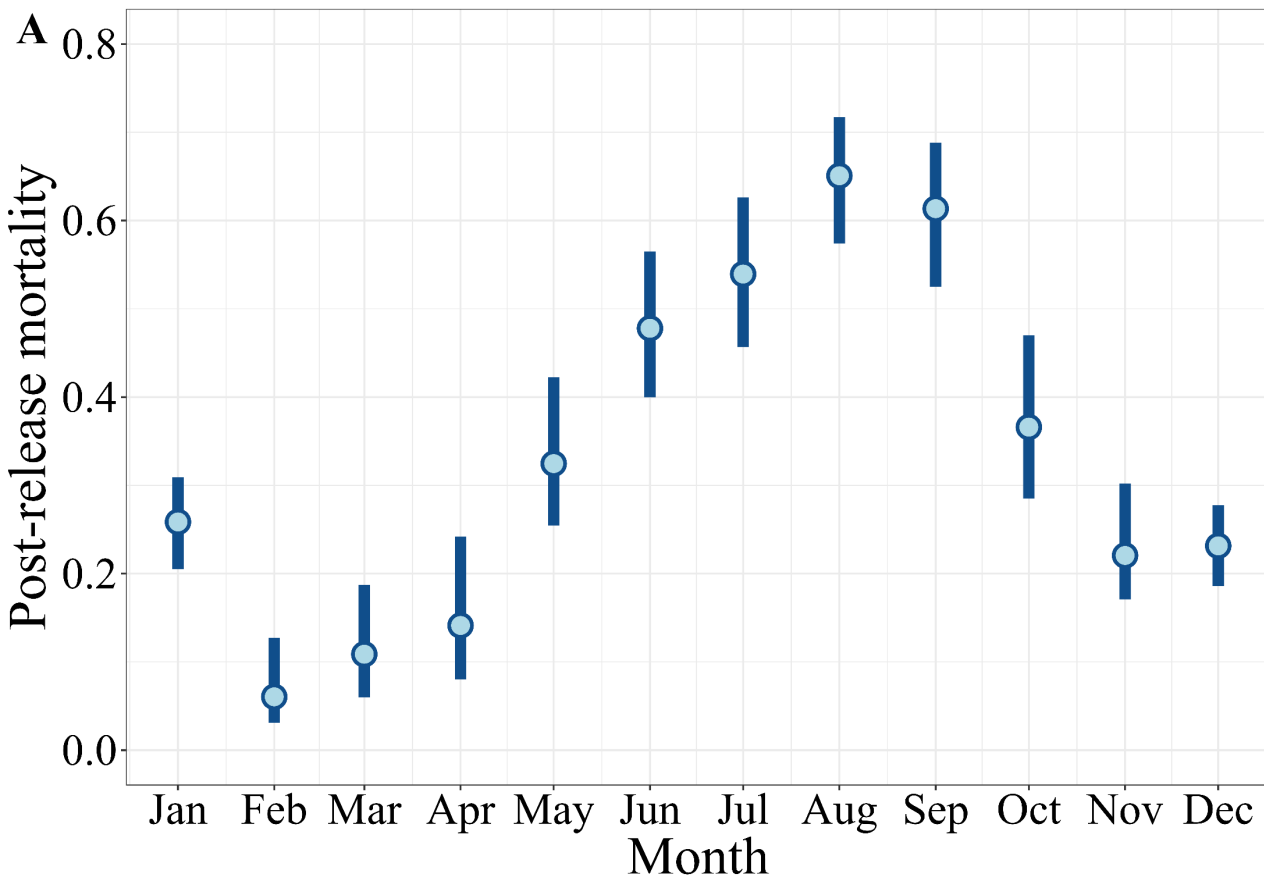
$$Pr(R = t) = \boldsymbol{\Psi} \prod_{s=t_0}^{t-1} (\phi(1 - \eta_s)) \phi \eta_t \boldsymbol{\xi}$$
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Median discard mortality assuming:

1. 100% baseline survival: 0.31-0.35

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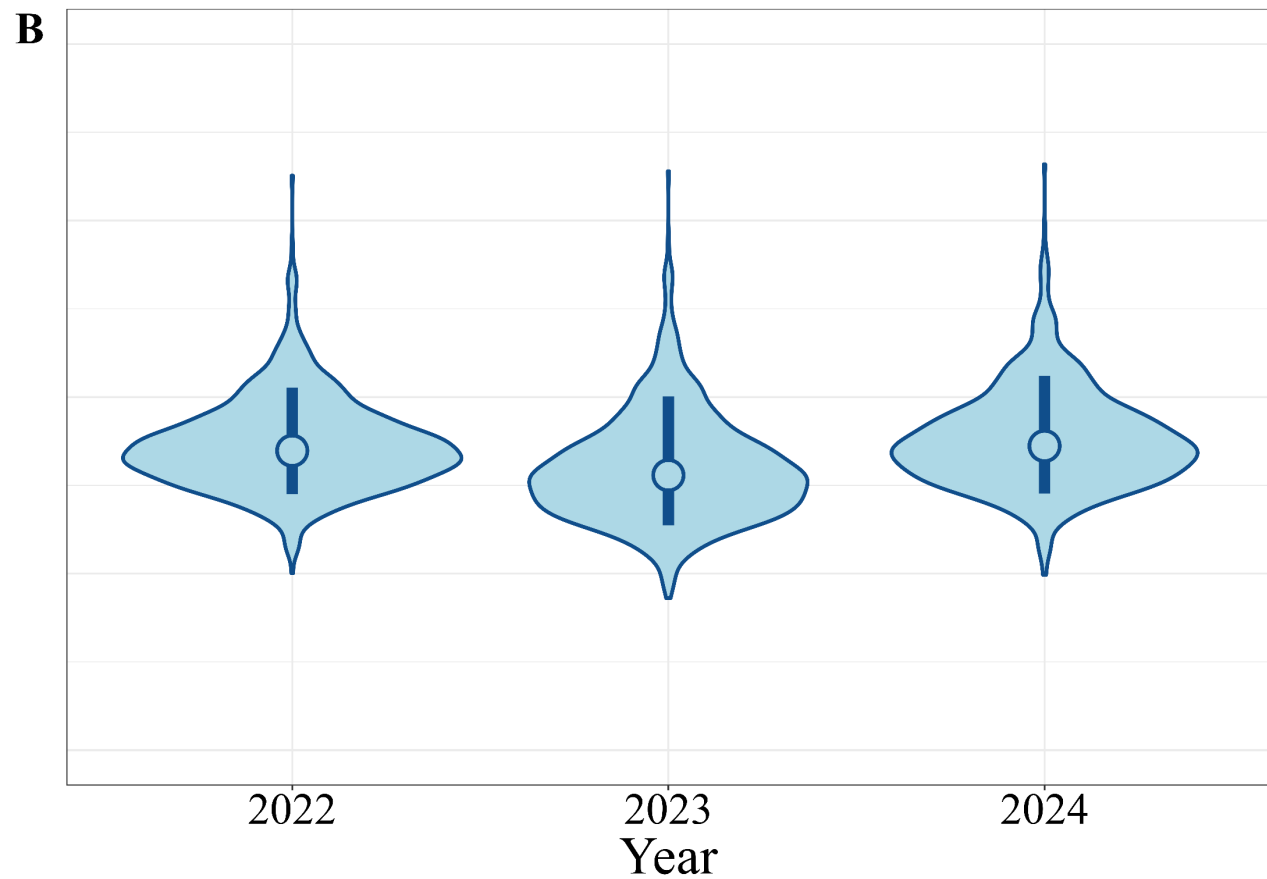
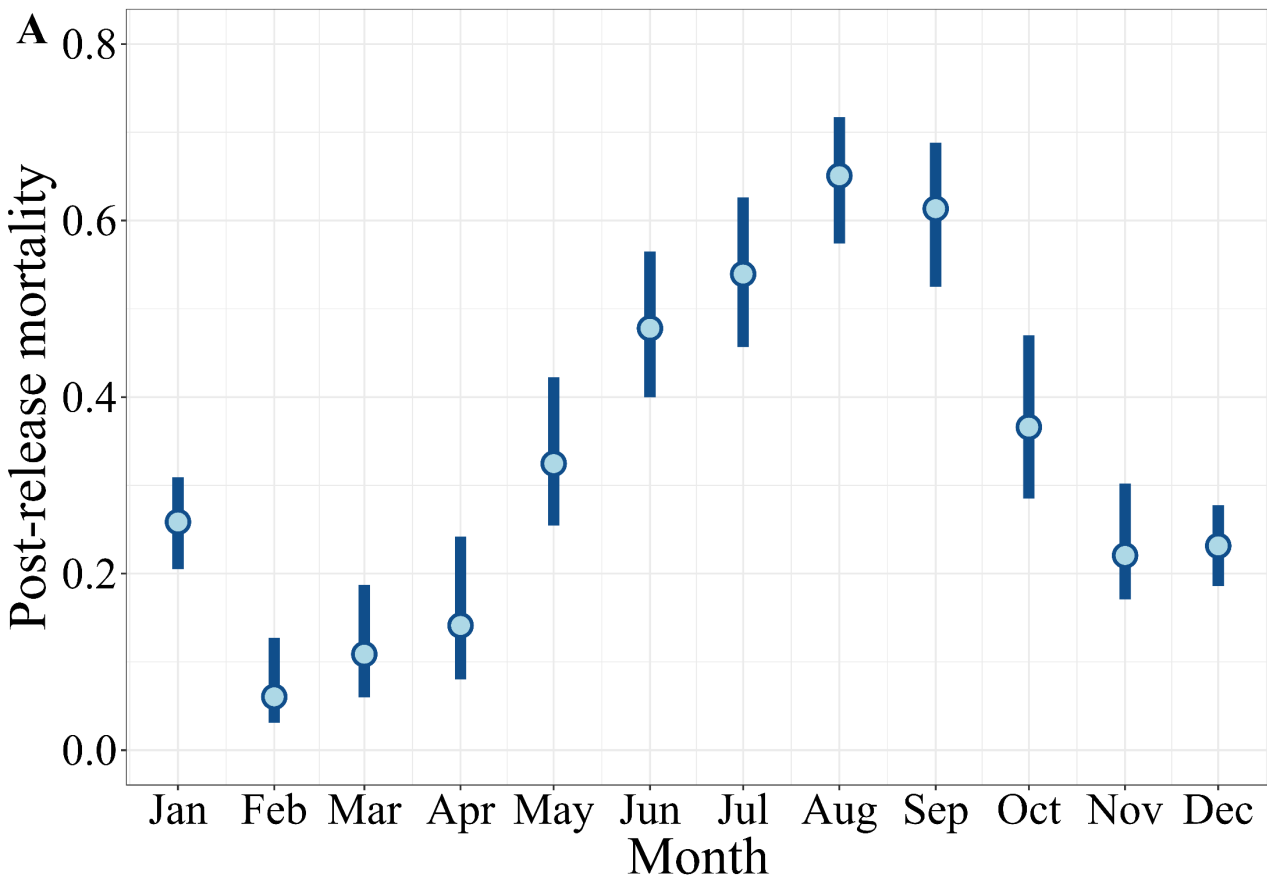
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Median discard mortality assuming:

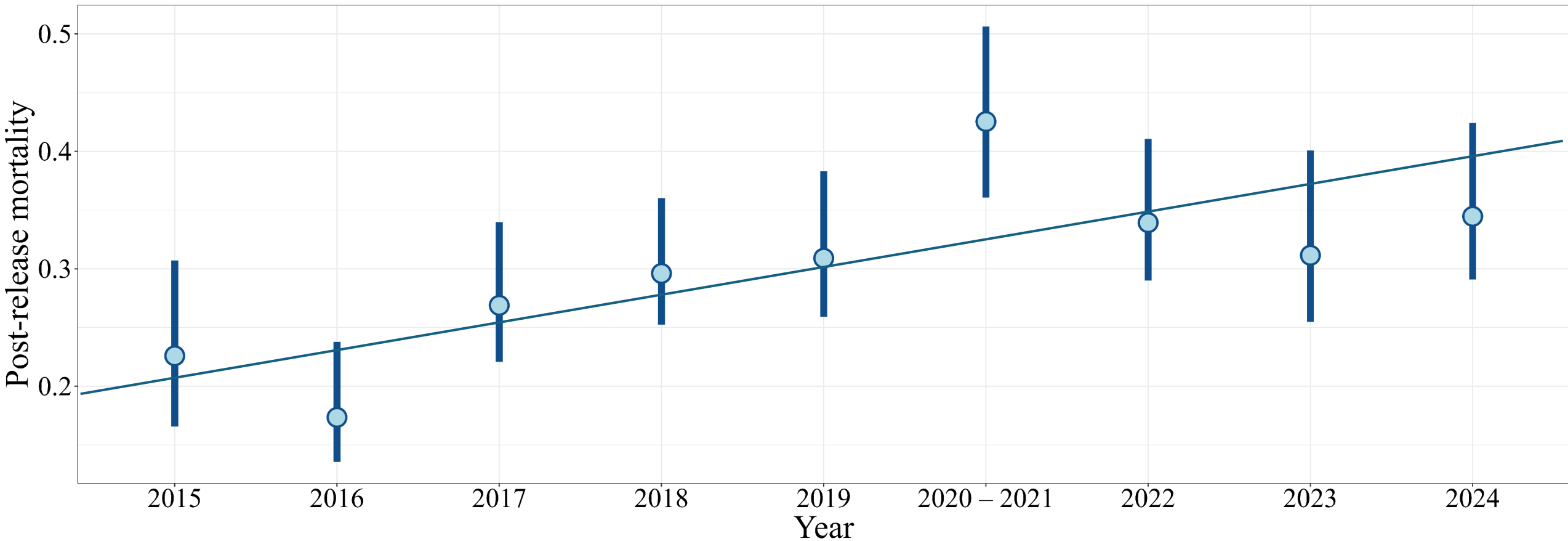
1. 100% baseline survival: 0.31-0.35
2. 92.5% baseline survival: 0.36-0.40
3. 85% baseline survival: 0.42-0.44

$$Pr(R = t) = \psi \prod_{s=t_0}^{t-1} (\phi(1 - \eta_s)) \phi \eta_t \xi$$
$$\psi_i \propto \exp(\beta_D f(\text{Depth}_i) + \beta_T f(\text{SST}_i))$$

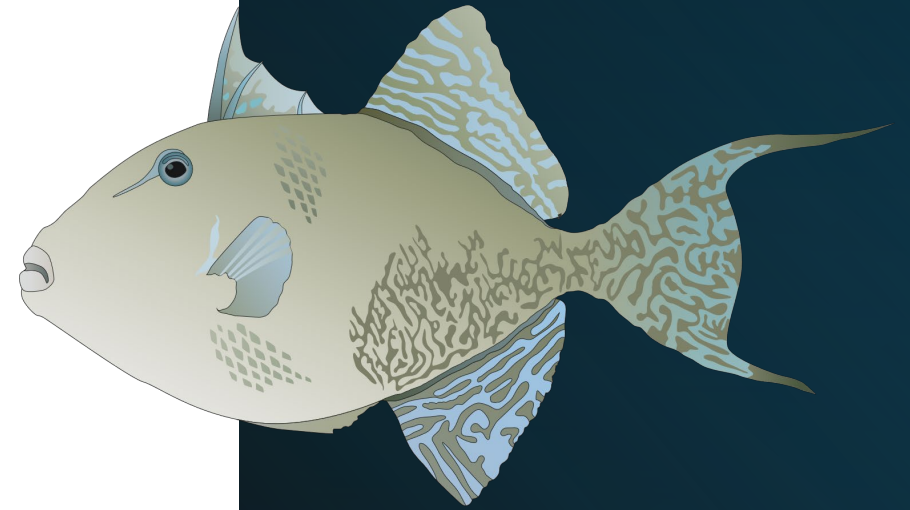


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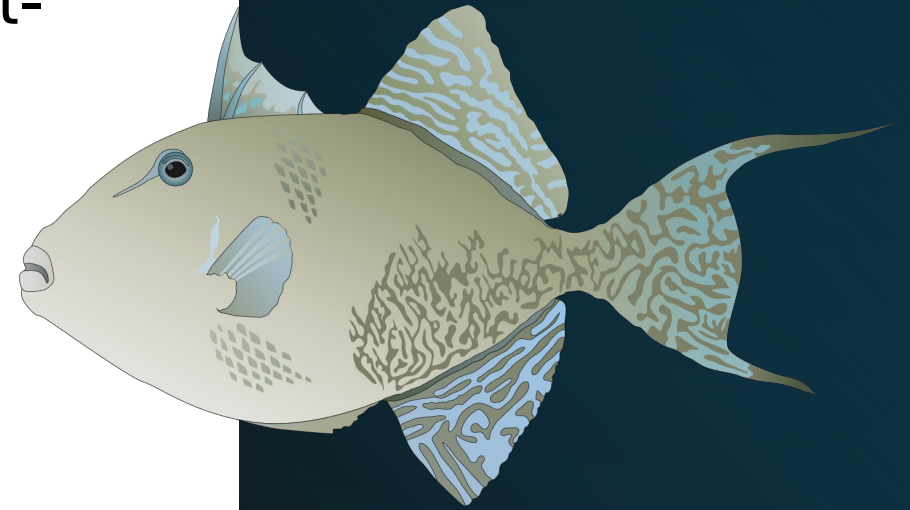
Discard mortality increasing due to increasing capture depths



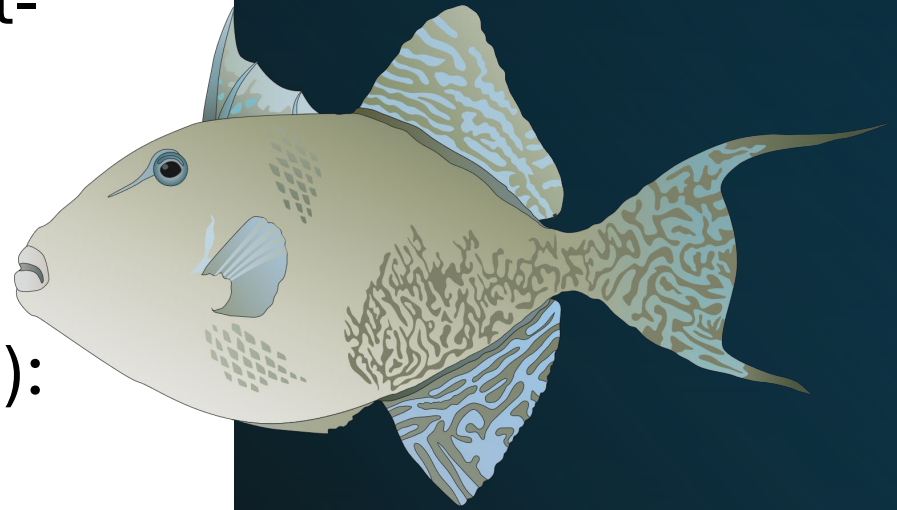
- Discard mortality estimates are higher than previous stock assessment estimates



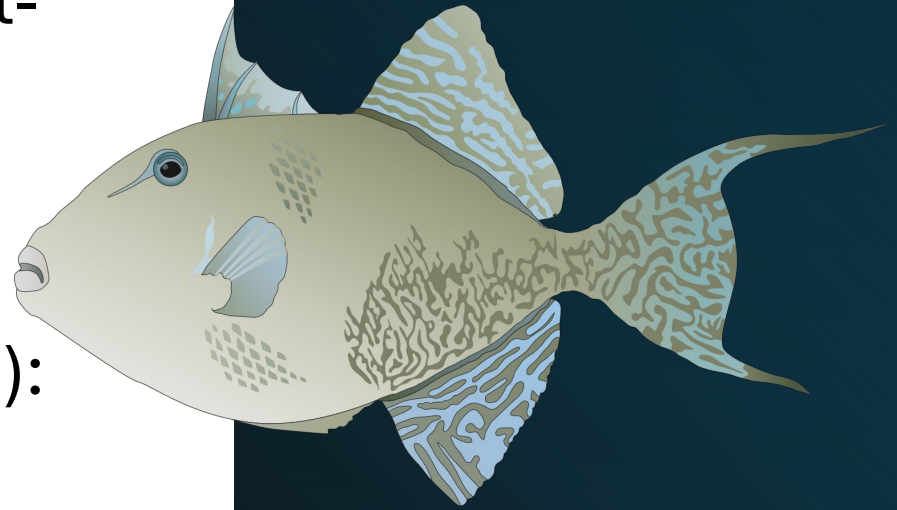
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- Not temporally static: varies seasonally and inter-annually



Questions?



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